



A. Key Concepts

1. State the three equations used to calculate different characteristics of a star.
2. Explain how stars are formed with reference to a balancing of gravitational force.
3. Explain the stages in the proton-proton chain in stellar fusion reactions converting hydrogen to helium.
4. Sketch a Hertzsprung-Russel diagram and label on it the position of different classes of stars.
5. Which classification of stars have the fusion of hydrogen occurring in the core?
6. Explain how a main sequence star could become a giant or super giant star.
7. Explain how the mass of a star determines its lifetime and eventual fate.

B. Past Paper Questions

1. Hertzsprung-Russell (H-R) diagrams are widely used by physicists and astronomers to categorise stars. Figure 5A shows a simplified H-R diagram.

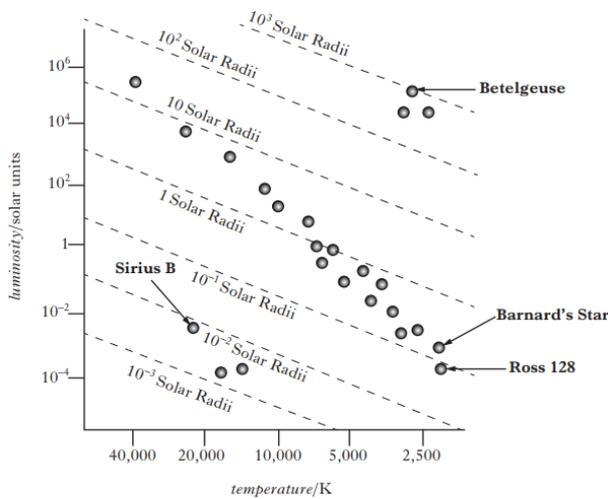


Figure 5A

- a) What class of star is Sirius B? 1
- b) Estimate the radius in metres of Betelgeuse. 2
- c) Ross 128 and Barnard's Star have a similar temperature but Barnard's Star has a slightly greater luminosity. What other information does this tell you about the two stars? 1

- d) During the life cycle of the Sun its position in the H-R diagram is expected to change as shown by the arrowed line in Figure 5B.

Describe the changes that occur to the Sun during its expected life cycle.

- e) Hydrogen fusion in a star is a result of a proton-proton chain. The process eventually results in the production of a helium-4 nucleus.

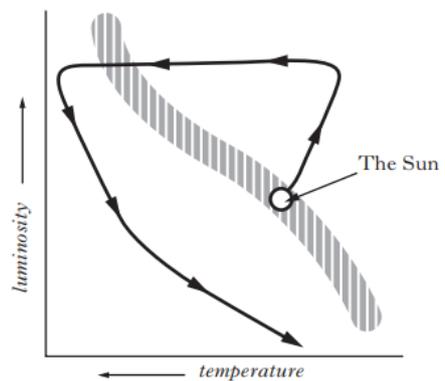


Figure 5B

- i. Show that the percentage loss of mass from four protons to one helium-4 nucleus is 0.7%. 2
- ii. The luminosity of the Sun is $3.8 \times 10^{26} \text{ W}$. Using Einstein's energy equation, show that the mass of hydrogen lost per second in the Sun is $4.2 \times 10^9 \text{ kg}$. 1
- iii. Estimate the lifetime of the Sun in seconds. Assume the mass of hydrogen in the Sun to be the same as the mass of the Sun.



1

- f) The “no greenhouse” temperature of a planet is the average surface temperature of a planet in the absence of any greenhouse effect. The “no greenhouse” temperature of a planet in kelvin is given by

$$T = 280 \left(\frac{(1 - \text{reflectivity})}{d^2} \right)^{\frac{1}{4}}$$

where d is the distance from the Sun in astronomical units (AU).

The reflectivity is a measure of the percentage of energy reflected from the surface, 1 represents 100% reflectivity and 0 represents no reflectivity.

Mercury has a reflectivity of 0.12 and is 5.8×10^{10} m from the Sun.

Calculate its “no greenhouse” temperature.

2